# **Buying Integers**

Let's assume that you have n integers, A1, A2, A3 ... An.

Let's define:

- $\mathbf{E} = \text{Number of pairs } (\mathbf{i}, \mathbf{j}) \text{ such that } \mathbf{i} < \mathbf{j} \text{ and } (\mathbf{A}_{\mathbf{i}} + \mathbf{A}_{\mathbf{j}}) \text{ are even.}$
- **O** = Number of pairs (i, j) such that i < j and  $(A_i + A_j)$  are odd.
- **D** = | **E**-**O** | (That means, **D** = (**E**-**O**) if (**E**-**O**) ≥ 0, -(**E**-**O**) otherwise.)

Unfortunately, you do have **n** but those **n** integers are lost. You will have to buy them again. Before going to the market, you have decided that you will buy **n** integers in such a way that the value of **D** will be as small as possible, as you will have to pay **D** golden coins to buy them.

Now, you are wondering, what that minimum D will be. (Let's call it  $D_{min}$ ).

### Input

First line of the input file will contain the number of test cases,  $T \le 1000000$ , followed by T lines, each containing an integer n ( $1 \le n \le 10^9$ ).

# Output

For each case, print the case number starting from 1 and  $D_{min}$  for the value of **n** in that particular case. See the sample output for exact formatting.

## Example

Input:

3 3 4

5

#### Output:

Case 1: 1 Case 2: 0 Case 3: 2

**Warning**: Input file is huge, please use faster input and output methods (e.g. printf and scanf in C++).

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