## Parity

You are given $n$ binary strings $s_{1} \ldots s_{n}$, each of the same length $m$. Along with each $s_{i}$ you are given $a$ bit $b_{i}$. You are also given some nonnegative integer $k$ and want to know whether there exists a subset $S$ of $\{0,1 \ldots m-1\}$ of size at most $k$ such that for each $i=1,2 \ldots n$, the bit $b_{i}$ is the XOR of the bits of $s_{i}$ at the indices in $S$. The $s_{i}$ are 0 -indexed strings. Recall that the XOR of a set of bits is 1 if the number of bits equal to 1 is odd, else the XOR is 0 (in particular, the XOR of an empty set of bits is 0 ). For example, if $s_{1}=1010$ and $S=\{0,3\}$, then $b_{1}$ would be 1 (the first bit of $s_{1}$ ) XOR'd with 0 (the last bit of $s_{1}$ ), which is 1 . Given $n, k$, and the strings $s_{1} \ldots s_{n}$ and their corresponding $b_{i}$, find a set $S$ of size at most $k$ which produces the given $b_{i}$. You should also detect when no such $S$ exists.

## Input

The first line contains $n$ and $k$, space-separated ( $1 \leq n \leq 64,0 \leq k \leq 10$ ). $n$ lines then follow, where the ith line contains $s_{i}$, followed by a space, then $b_{i}$. In a given test case all strings $s_{i}$ are of the same length $m(1 \leq m \leq 50)$. $k$ will not be bigger than $m$.

## Output

If no set $S$ of size at most $k$ exists producing the given $b_{i}$, output -1 followed by a newline. Otherwise, on the first line output the size of a possible $S$. If the size of that $S$ is not 0 , on the second line, output a space-separated list of the indices in S , followed by a newline. If there exist multiple valid $S$ to be output, you can output any one of your choosing.

## Example

## Input:

31
1111
0010
0111

Output:

