

Amusing Digits

Tyrion Lannister was amused by the interesting properties of digits such as 3 or 9.

If you consider any multiple of 3 and then sum up its digits, the sum is always divisible by 3. For example, 843 is a multiple of 3 and $8 + 4 + 3 = 15$ is also multiple of 3. Similarly, for 9, any multiple of 9 satisfies the property that the sum of its digits is also divisible by 9.

But he suddenly realized that this property for 3 or 9 in base 10 may not hold for another base (let say 11).

Inquisitive that he is, he wants to know the **number of digits** for which this property holds for a particular **base** non trivially. (For 0 and 1, this property holds trivially and thus can be ignored.)

A **base** is the number of unique digits, including zero, that is used to represent numbers.

$T \leq 10000$

$3 \leq N \leq 100000$

Input

First line contains the number of test cases, **T**.

Then follows **T** lines each containing an integer **N**.

Output

Output consists of **T** lines. Each line denotes the number of digits for which the property holds in base **N**.

Example

Input:

3
10
20
3

Output:

2
1
1

Explanation

For base 10, the digits are 3 and 9.

For base 20, the only digit that satisfies the property is 19.