

Cycles, More Cycles

A m -cycle in a directed graph is defined to be a sequence of vertices $v_0-v_1-v_2-v_3-\dots-v_m$ where an edge (v_i, v_{i+1}) exists for each $0 \leq i < m$, $v_i \neq v_j$ for all $0 \leq i < j < m$ and $v_m = v_0$. For a given graph of n vertices we can count the number of cycles in it. Now your task is a little harder: find the maximum value among all graphs with certain constraints, that is, your graph should contain an edge from either vertex x to y or y to x , but not both.

Assume there are R m -cycles in your output, your solution will be awarded by $w * R$ points, where w is related to n and m . Your score will be the sum of scores of all test cases. **Note your source must not be larger than 10000 bytes.**

Input

One line containing two blank-separated integers, n and m , where $3 \leq m \leq n \leq 17$.

Output

Adjacent matrix A of the graph you found. Numbers must be separated by spaces. Edge (i, j) exists when and only when $A_{ij} = 1$. $A_{ij} + A_{ji} \leq 1$ and $A_{ii} = 0$ for any $0 \leq i, j < n$, or your solution will be judged as wrong answer.

Example

Input:

3 3

Output:

0 0 1

1 0 0

0 1 0

Assume $w = 0.2$, this solution will get $0.2 * 1 = 0.2$ points for this case.