## Graphic Sequence

Given an integer sequence $d=\left(d_{1}, \ldots, d_{n}\right)$ determine if there exists a graph $G$ with permutation of $d$ as its sequence of degrees.

## Input

The input consists of a sequence of lines. In the first line you are given $t<100$ - the number of sequences to analyze. The description of each of the sequences consists of two lines: in the first line you are given one number $n<=100000$ (the length of the sequence) and in the second line you are given $n$ nonnegative integers (the sequence elements, all of these numbers are smaller than 100000).

## Output

For each of the sequences print in a separate line one of the two words: POSSIBLE if such a graph might exists and IMPOSSIBLE in the opposite case.

## Example

## Input:

4
3
122
4
3232
5
22422
4
0000

## Output:

IMPOSSIBLE
POSSIBLE
POSSIBLE
POSSIBLE

## Input data sizes

| $t$ | $\operatorname{maxn}$ | 1 |
| :--- | :--- | :--- |
| 1 | 10 | $2 s$ |
| 2 | 100 | $2 s$ |
| 3 | 1000 | $2 s$ |
| 4 | 10000 | $2 s$ |
| 5 | 100000 | $2 s$ |

t - testcase number
maxn - the maximum length of the sequence
| - time limit
Hints
\{assign var="code" value="GRSEQ"\}
No hints please

## Give me the hint

\{if \$par=="hints"\}\{literal\}
Using the Erdős-Gallai Theorem you will be able to implement a linear time algorithm.
You could try also Social Network Existence - very similar problem with smaller inputs.
\{/literal\}\{else\}\{literal\}
As you wish, no hints here.
\{/literal\}\{/if\}

