## Permutation

A permutation is a sequence of integers $p_{1}, p_{2} \ldots p_{n}$, consisting of $n$ distinct positive integers, each of which doesn't exceed $n$. Let's denote the $i$-th element of permutation $p$ as $p_{i}$. We'll call number $n$ the size of permutation $p_{1}, p_{2} \ldots p_{n}$.

Nickolas adores permutations. He likes some permutations more than the others. He calls such permutations perfect. A perfect permutation is such permutation $p$ that for any $i(1=i=n)$ ( $n$ is the permutation size) the following equations hold $p_{p_{i}}=i$ and $p_{i} \neq i$. Nickolas asks you to print any perfect permutation of size $n$ for the given $n$.

## Input

First line will contain number of test case T , followed by T lines.
Each line contains a single integer $n(1 \leq n \leq 100)$ - the permutation size.

## Output

If a perfect permutation of size $n$ doesn't exist, print a single integer -1 . Otherwise print $n$ distinct integers from 1 to $n, p_{1}, p_{2} \ldots p_{n}$ - permutation $p$, that is perfect. Separate printed numbers by a space.

## Example

## Input:

3
1
2
4

## Output:

-1
21
2143

