## Another Mathematical Problem

Little Johny suddenly found a great amusement towards numbers. Blame his crush over his maths teacher or anything, it didnt really bother him. One day his teacher gave him a task for finding the solution for (( $\left.\mathrm{P}^{\wedge} \mathrm{N}\right)+\left(\mathrm{Q}^{\wedge} \mathrm{N}\right)$ ) given $\mathrm{P}, \mathrm{Q}$ and N . Given Johny's intense crush he solved it very quickly. Seeing this his teacher asked him to calculate ( $\left.\left(P^{\wedge} N\right)+\left(Q^{\wedge} N\right)\right)$ but this time she gave $P+Q$ and $P^{*} Q$ instead of $P$ and $Q$. Johny set to work and then he understood the difficulty of this problem. Guess what? It is the same story he asks you for help.

## Input

The first line will contain an integer $\mathrm{T}(<=15)$ denoting the number of test cases.
Three integers $p+q, p^{*} q$ and $n$ will be given for each test case in a separate line.

## Output

For every test case output the corresponding output $\left(p^{\wedge} n\right)+\left(q^{\wedge} n\right)$ in a separate line.

## Constraints

$0<=N<=15, P+Q$ and $P^{*} Q$ will be in the $(-15,15)$ inclusively.
Note: P, Q, N would be chosen in such a way that the answer fits in a 64 bit signed integer.

## Example

## Input:

5
6911
6710
123
-5 610
2-49
Output:
354294
2808982
-5
60073
38912

