

# Double Hashing

Susi heard that prime numbers are a good choice if one searches for adequate sizes of hash tables. Especially if you use double hashing. I.e. a value  $a$  is hashed to the address  $a \bmod m$ , whereas  $m$  is the size of the hash table. If the address  $a \bmod m$  is already occupied one tries the addresses  $(a + 1 * r) \bmod m$ ,  $(a + 2 * r) \bmod m$ , and so on. Susi wants to verify the assumption that prime numbers are a good choice for the size of the table. She created a couple of testcases and now it's your task to help her with the analysis of these testcases.

## Input

The first line contains the number of testcases. Each testcase consists of the three numbers  $m$ ,  $n$  and  $r$ , whereas  $m \leq 1000$  and  $r, n < m$ . On the next line the  $n$  values follow.

## Output

For each testcase output two lines. The first line contains the number of probes for a hash table of size  $m$  and the second line the number of probes for a hash table of size  $p$ . Whereas  $p$  is the smallest prime number greater or equal to  $m$ . For the format see the sample. Print a blank line after each testcase.

## Example

### Input:

```
2
10 8 4
400 20 53 64 103 54 325 23
8 7 4
16 32 64 128 256 1024 2048
```

### Output:

```
7 probe(s) made with m=10
6 probe(s) made with p=11

unable to insert elements
0 probe(s) made with p=11
```