## Divisor Summation Powered

Define $F(n, k)=$ Sum of $k^{t h}$ powers of all divisors of $n$, so for example $F(6,2)=1^{\wedge} 2+2^{\wedge} 2+3^{\wedge} 2+$ $6^{\wedge} 2=50$

Define further $G(a, b, k)$ as: Sum of $F(j, k)$ where $j$ varies from $a$ to $b$ both inclusive.
Your task is to find $G(a, b, k)$ given $a, b$ and $k$.
As values of $G$ can get very large, you only need to output the value of $G(a, b, k)$ modulo $10^{\wedge} 9+7$.

## Input

First line of input file contains a single integer $T$ - denoting the number of test cases.
The follow description of T test cases. Each test case occupies exactly one line which contains three space separated integers $a, b$ and $k$.

## Output

Output your result for each test case in a new line.

## Sample

Input:
2
221
132
Output:
3
16

## Description of Sample

In case 1 , we are to find sum of divisors of 2 . which is nothing but $1+2=3$.
In case 2, we are to find sum of squares of divisors of 1,2 and 3 . So for 1 sum is $=1$. For 2 sum is $=1^{\wedge} 2+2^{\wedge} 2=5$. For 3 sum is $=1^{\wedge} 2+3^{\wedge} 2=10$. So answer is 16 .

## Constraints

$1<=\mathrm{a}<=\mathrm{b}<=10^{\wedge} 5$
$1<=\mathrm{k}<=10^{\wedge} 5$
Number of test cases <= 20

