## Colours A, B, C, D

Consider a table with 2 rows and 2 N columns (a total of 4 N cells). Each cell of the first row is coloured by one of the colours $\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}$ such that there are no two adjacent cells of the same colour. You have to colour the second row using colours $A, B, C, D$ such that:

- There are exactly $N$ cells of each colour (A, B, C and D) in the table.
- There are no two adjacent cells of the same colour. (Adjacent cells share a vertical or a horizontal side.)

It is guaranteed that the solution, not necessarily unique, will always exist.

## Input

[a natural number $\mathrm{N} \leq 50000$ ]
[a string of 2 N letters from the set $\{\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}\}$, representing the first row of the table]

## Output

[a string of 2 N letters from the set $\{\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}\}$, representing the second row of the table]

## Example

Input:
1
CB

## Output:

AD
Input:
2
ABAD
Output:
BCDC

