## Mixing Chemicals

There are N bottles each having a different chemical. For each chemical i , you have determined $C[i]$ which means that mixing chemicals i and $C[i]$ causes an explosion. You have K distinct boxes. In how many ways can you divide the N chemicals into those boxes such that no two chemicals in the same box can cause an explosion together?

## INPUT

The first line of input is the number of test cases $T$. $T$ test cases follow each containing 2 lines. The first line of each test case contains 2 integers N and K .
The second line of each test case contains $N$ integers, the ith integer denoting the value $C[i]$. The chemicals are numbered from 0 to $\mathrm{N}-1$.

## OUTPUT

For each testcase, output the number of ways modulo 1,000,000,007.

## CONSTRAINTS

$\mathrm{T}<=50$
$2<=\mathrm{N}<=100$
$2<=\mathrm{K}<=1000$
$0<=\mathrm{C}[\mathrm{i}]<\mathrm{N}$
For all $\mathrm{i}, \mathrm{i}!=\mathrm{C}[i]$

## SAMPLE INPUT

3
33
120
43
1200
32
120

SAMPLE OUTPUT
6
12
0

## EXPLANATION

In the first test case, we cannot mix any 2 chemicals. Hence, each of the 3 boxes must contain 1 chemical, which leads to 6 ways in total.
In the third test case, we cannot put the 3 chemicals in the 2 boxes satisfying all the 3 conditions.

