

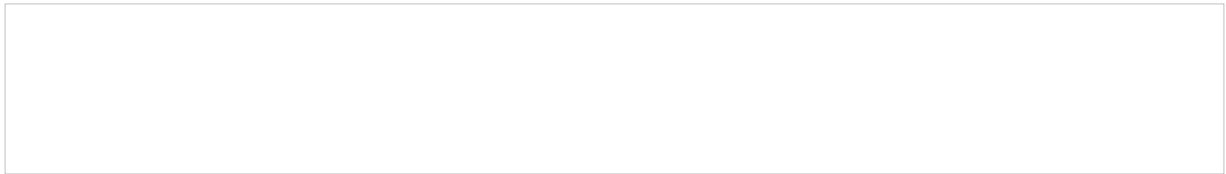
The Journey of the Ant

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Time Limit 1 second/test case

Description

You will be given two positive integers m and n . Consider all lattice points (the points with integral coordinates) inside (including the edges) a rectangle formed by connecting points $(0, 0)$, $(n, 0)$, (n, m) , and $(0, m)$. There's a wad of sugar on each of those $(m+1)(n+1)$ points. A lost ant begins his journey to get back home from point $(0, 0)$. He is an ant, and ants love sugar very much, so he decides to take some of the wads home. Because of some unexplainable reason, if he was on (a, b) , then he can **only** move to $(a+1, b)$, $(a+1, b+1)$, or $(a, b-1)$. Of course the ant is not allowed to get out of the rectangle (or he will get lost, again). He knows that his house is at the other end of the rectangle i.e. (n, m) . For example, let $n = 3$ and $m = 2$. There are 5 different ways for the ant to get home, as shown in the figure below:



Now your task is to find the number of ways for the ant to get home. Since the value can be very large, so output its remainder when divided by 1000000009 ($10^9 + 9$).

Input Format

n and m in a single line, separated by a single space.

Output Format

A line contains the number of such ways.

Input Sample 1

3 2

Output Sample 1

5

Input Sample 2

Output Sample 2

176

Note

- For 26.67% test cases: $1 \leq n, m \leq 1000$.
- For 40% test cases: $1000 \leq \max(n,m)$; $1 \leq n, m \leq 1000000$; and $n \times m \leq 1000000$.
- For other 33.33% test cases: $1 \leq m \leq 25$ and $1000000 < n \leq 10000000000000000000$.