

# Billion ByteMan March

## Warning:

Source code size limit is 2048B (half is enough) and time limit could not allow all language to get AC ; I got AC in 1.5s with language C. The **main** difficulty of the problem is to manage efficiently the given precomputed values **and** the memory available, in the given time. Have fun ;-)

## The March

Leo invited all his friends to a giant meeting for peace in byteland. All people came in bus which were all full.

Last year, they were [thousands of people](#). As Leo like structured things, he thought to form groups.

Two years ago, all the ways to form homogeneous team with the 4 people (A,B,C,D) were :

{{A,B,C,D}} : one team of 4 (one way),

{{A}, {B}, {C}, {D}} : four 'teams' of 1 (one way more),

{{A,B}, {C,D}} or {{A,C}, {B,D}} or {{A,D}, {B,C}} : two teams of 2 (3 ways more).

for a total of 5 ways. But this year many more people are awaited.

As the answer should not fit in a 64-bit container, you should give your answer modulo  $M7=1000000007$ .

## Input

The input starts with  $2^{12}$  useful precomputed values:  $\text{factorial}(i) \text{ MOD } M7$  for  $i$  in  $[0 ; 2^{30}[$  with a step of  $2^{18}$ , each one on one line.

The input continues with the number  $T$  of test cases in a single line.

In each of the next  $T$  lines there are two integers :  $N, K$ .

$N$  is the quantity of bus that came to the meeting.

$K$  is the common capacity of each bus.

## Output

For each test case, your task is to calculate the number of ways people can form homogeneous teams.

## Example

### Input:

```
1          <--- 0! mod M7
639926614 <--- (2^18)! mod M7
[...]     ( 4093 lines more)
0          <--- (2^30 - 2^18)! mod M7
3
2 2
1 6
2 3
```

### Output:

5  
27  
27

## Constraints

$0 < T \leq 300$

$0 < K \leq 30000$

$0 < N \leq 30000$

Uniform-random input in the range.