## Count weighted paths

John likes to take a walk from his house to university. He needs to arrive his university in at most $\mathbf{T}$ seconds after leaving his home. We can represent the situation as a $\mathbf{N}$ vertices graph. Vertex 0 of the graph will be John's home and vertex 1 John's university. There can be bidirectional roads connecting pairs of vertices, each road will take John some seconds to cross.

John likes variety. We consider a valid path to be a sequence of vertices that starts with vertex 0 (John's house) and finishes with vertex 1 (The University) and there exists a road connecting each pair of consecutive vertices in the sequences (Note that a vertex may appear multiple times in the path). The total time John needs to traverse a path is equal to the sum of the times needed to cross each individual road in it. Please count the total number of different paths that need at most $\mathbf{T}$ minutes to be traversed in total. Two paths are different if there is at least one moment at which they visit different vertices.

Given $\mathbf{T}, \mathbf{N}$ and the roads between the vertices, ¿How many different paths that need at most $\mathbf{T}$ seconds exist? Print the result modulo $1000000007\left(10^{9}+7\right)$.

## Input

The first line consists of a integer TOTAL, the total number of test cases ( $1<=\mathbf{N}<=10$ ).
Each of the following test cases begins with a single line that contains two integers: $\mathbf{N}$ and $\mathbf{T}$. (2 $<=\mathbf{N}<=5),\left(1<=\mathbf{T}<=1000000000\left(10^{9}\right)\right.$ ).

The $\mathbf{N}$ following lines are indexed from $\mathbf{i}=0$ to $\mathbf{N}-1$. The $\mathbf{i}$-th line will represent the roads that connect vertex $\mathbf{i}$ with other vertices. The line will consist of $\mathbf{N}$ character indexed from $\mathbf{j}=0$ to $\mathbf{N}-1$. The $\mathbf{j}$-th character of the $\mathbf{i}$-th line represents the road connecting vertex $\mathbf{i}$ with vertex $\mathbf{j}$. If the character is '-', this means no road connectes vertices $\mathbf{i}$ and $\mathbf{j}$. Otherwise, the character will be a digit equal to 1,2 or 3 , determining the number of minutes it takes John to move between vertices $\mathbf{i}$ and $\mathbf{j}$.

For every pair (i,j), the road character between $\mathbf{i}$ and $\mathbf{j}$ will be the same as the one between $\mathbf{j}$ and i.

For each $\mathbf{i}$, there will never be a road cannecting vertex $\mathbf{i}$ with itself.
Vertex 0 represents John's house and Vertex 1 John's university.

## Output

For each test case, show in a single line: "Case \#i: R", where $R$ is the total number of valid paths between vertices 0 and 1 donde $R$ that need a quantity of at most $\mathbf{T}$ segundos .

## Example

## Input:

3
29
-3
3-
54
--123
--123
11---
22---
33---
3100
-21
2-3
13-

## Output:

Case \#1: 2
Case \#2: 4
Case \#3: 924247768

## Notes

There are two paths in the first case that need 9 minutes or less:

- $0->1$ (3 minutes)
- 0 -> 1 -> $0->1$ ( 9 minutes)

The second case contains 4 paths that need at most 4 minutes to be traversed:

- $0->2$-> 1 (2 minutes)
- 0 -> $3->1$ (4minutes)
- $0 \rightarrow 2->0->2->1$ (4 minutes)
- $0->2$-> $1->2$-> 1 (4minutes)
$0->4->1$ is a path that needs 6 minutes.

