Obfuscated Property

Consider the sequence:

0,1,1,2,1,3,2,3,1,4,3,5,2,5,3,4,1,5,4,7,3,8,5,7,2,7,5,8,3,7,4,5,1,6,5,9,4...

This sequence is defined recursively by the formula:

- f(2n) = f(n)
- f(2n+1) = f(n) + f(n+1)

with the initial values f(0) = 0 and f(1) = 1

In 1982, Dijkstra called this sequence **fusc** because it possesses a curious ob*fusc*ated property: if the sum of two indices, n and m, is a power of 2, then f(n) and f(m) are *coprime*.

The sequence of the ratios of two consecutive elements $u_n = f(n) / f(n+1)$ runs through all nonnegative rational numbers (in reduced form) just once!

 $0,\,1,1/2,\,2,\,1/3,\,3/2,\,2/3,\,3,1/4,\,4/3,\,3/5,\,5/2,\,2/5,\,5/3,\,3/4,\,4,\,\ldots$

Moreover, if the terms are written as an array:

1

1,2

1,3,2,3

1,4,3,5,2,5,3,4

1,5,4,7,3,8,5,7,2,7,5,8,3,7,4,5

 $1,\!6,\!5,\!9,\!4,\!11,\!7,\!10,\!3,\!11,\!8,\!13,\!5,\!12,\!7,\!9,\!2,\!9,\!7,\!12,\!5,\!13,\!8,\!11,\!3,\!10,\!7,\!11,\!4,\!9,\!5,\!6$

then the sum of the k-th row is 3^{k-1}, each columns is an arithmetic progression, and the steps are nothing but the original sequence!

In this problem, given n, you have to find $max{f(i); 0 \le i \le n}$

Input

One single line contains n ($0 \le n \le 10^{15}$)

Output

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One single line contains max{f(i); 0<=i<=n)}
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Example

Input:

Output: 4

10