Monkyes

Peter and Monkeys

Peter has a rectangular table consisting of **N** rows and **M** columns. Rows are numbered by integers from 1 to **N** from top to bottom and columns are numbered from 1 to **M** from left to right. Let **(x, y)** denote the cell corresponding to x^{th} row and y^{th} column.

Peter has two monkeys, both initially at the cell (1, 1). He wants them to get to the cell (**N**, **M**). Each of the monkey can move from some cell (**x**, **y**) to cell (**x**+1, **y**) or cell (**x**, **y**+1). As monkeys do not really like each other, they do not want to meet along their ways, except at the start **(1,1)** and end (**N**, **M**) cells.

Also, there are exactly **C** cells in the table containing a banana. When a monkey goes through such a cell, he eats this banana. As Peter also wants to eat bananas, he wants that both the monkeys cumulatively don't eat more than **D** bananas.

Find out number of ways in which monkeys can get from cell (1, 1) to cell (**N**, **M**) satisfying the above conditions. As answer could be large, please output your answer modulo **MOD**.

Input

- The first line of the input contains an integer **T** denoting the number of test cases. The description of **T** test cases follows.
- The first line of each test case contains five space-separated integers **N**, **M**, **C**, **D** and **MOD** denoting the sizes of table, the number of cells with a banana, the maximum number of bananas that can be eaten by monkeys and the modulo.
- Each of next **C** lines contains two space-separated integers x_i and y_i denoting the coordinates of the cell with a banana.

Output

- For each test case, output a single line containing the numbers of ways monkeys can get from cell (1,1) to cell (**N**, **M**) modulo **MOD**.

Constrains

- $2 \le N, M \le 10^5$
- $0 \le D \le C \le \min\{200, N * M - 2\}$
- $1 \le x_i \le N$
- $1 \le y_i \le M$
- $1 \le MOD \le 10^9$
- It's guaranteed that there is no banana in cells (1, 1) and (**N**, **M**)

Example

Input:

4

2 3 0 0 10

2 3 1 0 16

2 1

3 3 1 0 7

2 2

2 2 2 1 11

1 2

2 1

Output:

1

0

1

0