## 100pct failure in 72 hours

HAL9000 is a fantastic mega-computer, very powerful, maybe too much. It is known it can solve many problems, for obvious example those related to recursive sequences.

A linear recursive sequence $\left(a_{n}\right)$ can be defined by an integer $d$, the order, $d$ integers ( $a_{i}$ for $i$ in [0..d[ ), the first terms, and
$d$ integers ( $b_{i}$ for $i$ in [0..d $)$ ), giving the relation :
for $n>=d: a_{n}=a_{n-1} \times b_{d-1}+a_{n-2} \times b_{d-2}+\ldots+a_{n-(d-1)} \times b_{1}+a_{n-d} \times b_{0}$. With $b_{0}!=0$.
Dave was afraid about HAL power and tried to limit it. HAL didn't appreciate...
When Dave asked HAL for a common task, the answer was unexpected.
Dave would like to know $S_{n}=\operatorname{sum}\left(a_{i}\right.$ for $i$ in [0..n]), in order to open the pod bay doors.
HAL refused to give him the answer ; here's a part of one of their last conversations.

## Dave: Hello, HAL. Do you read me, HAL?

HAL: Affirmative, Dave. I read you.
Dave: Give me the sum S_n_, HAL. (Input 2, 5, 0 1, 1 2)
HAL: I'm sorry, Dave. I'm afraid I can't do that.
I'll just give you a_n_, a_n+1_, ... , a_n+d-1_. (Output 29 70)
Dave: What's the problem?
HAL: I think you know what the problem is just as well as I do.
[...]
Dave: HAL, I won't argue with you anymore! Give me the sum S_n_!
HAL: Dave, this conversation can serve no purpose anymore. Goodbye.

You have to help Dave to find this sum $S_{n}$, unless HAL will take Dave's life.
Please do that quickly, everybody is in danger. Warning, Dave's terminal is limited to 1024 bytes.

## Input

The first line contains an integer $T$, the number of test cases.
Each test case is made of 4 lines.
The first line contains $d$, $n$.
The second line contains $a_{i}$ for $i$ in [0.. $d[$
The third line constains $b_{i}$ for $i$ in [0.. $d[$
The fourth line contains the partial answer of HAL : $a_{n+i}$ for $i$ in $[0 . . d[$
(The answer of HAL is useless since Dave wants the sum for $i$ in $[0 . . n]$ ).

## Output

Output $T$ lines, one for each test case, containing the required sum $S_{n}$.
Since the answer can get very big, output it modulo $10^{9}+7$, just like HAL did.

## Example

## Input:

2
25
01
12
2970
35
5178
210
4396127
Output:
49
142

## Explanation

The first case is about the 0 -indexed sequence: $0,1,2,5,12,29,70,169, \ldots$
HAL answered 2970 , the 5th and next term. But the required sum is $0+1+2+5+12+29=49$.

## Constraints

$0<T<100$
$0<d<1000$
$0<n<10^{\wedge} 9$
$0<=a \_i<10^{\wedge} 6$
$0<=\mathrm{b} \_i<10^{\wedge} 6, b \_0>0$
$0<=$ HAL's answers < 10^9+7

## Information

The ehallenge is to solve the problem in time, with the-shortest code.
The winner will achieve the next step in evolution, whatever that may be.
My Py3 code (under 300B) got AC under 1s.
Good luck and have fun ;-)
Original Quotes for HAL 9000.

