## Play with Binary Numbers

Let $S$ be the binary representation of an Integer. We define two functions $a(i)$ and $b(i)$ such that $a(i)=$ Number of occurrences of '1' at odd positions of S.
b(i) = Number of occurrences of '1' at even positions of S.
For example: for integer 19, $\mathrm{S}=10011$.
so, $a(19)=2$ and $b(19)=1$

## Input

First line contains an integer T. T=Number of test cases. Then $T$ lines follow On each line, you will be given three integers M,N,K.

## Output

For each test case output a single integer $R$.
Where, $R$ is the number of integers ' $i$ ' between $M$ and $N$ (both inclusive) such that absolute difference of $a(i)$ and $b(i)$ is equal to $K$.
Answer of each each test case should be on separate line

## Constraints

T<=50
$1<=\mathrm{M}<\mathrm{N}<=10^{\wedge} 19$
$1<=\mathrm{N}-\mathrm{M}<=10^{\wedge} 6$
$0<=\mathrm{K}<=50$

## Example

## Input:

1
1102
Output:
2

