## Matrix Game

Two players, $A$ and $B$, play the following game.

1. First, a matrix $M$ of size $N^{*} M$ is chosen, and filled with non-zero numbers.
2. Player A starts the game and the players play alternately.
3. In his turn, a player chooses any row which has at least one non zero number in it. In this row, the left-most non zero number is chosen. Let this number be K. The player subtracts any number between 1 and K inclusive from it.
4. The game ends when all the numbers in the matrix M are 0 .
5. The player who plays last wins the game.

Given N, M and the initial matrix, determine who wins the game. Assume that both players play optimally.

## Input

The first line contains the number of test cases $T$. Each test case consists of 2 numbers $N$ and $M$. There follow $N$ lines each having $M$ integers. The jth number on the ith line is the number $M[i][j]$. There is a blank line between consecutive test cases.

## Output

Output T lines, one for each case. Output "FIRST" if player A wins, else output "SECOND".

## Constraints

$T<=1000$
$1<=\mathrm{N}, \mathrm{M}<=50$
The initial matrix values are between 1 and 50 inclusive.

## Example

## Input:

3
22
11
11
13
211
22
32
32

## Output:

SECOND
FIRST
SECOND

