## Maximum Girth

In graph theory, the girth of a graph is the length of a shortest cycle contained in the graph. Can you find the maximum girth a graph with $\mathbf{N}$-vertices and $(\mathbf{N}+\mathbf{1})$ edges could possible have?

Since the answer could be large output the answer modulo $10^{\wedge} 9+7$.

## Input

The first line contains single integer $\mathbf{T}$ - the number of test cases. Each of the next $\mathbf{T}$ lines contains a single integer $\mathbf{N}$.

## Output

For every test case output the maximum girth (modulo $10^{\wedge} 9+7$ ) in a seperate line.

## Example

Input:

```
3
4 5
3434
5656565
```


## Output:

30
2290
3771044

Constraints:
$1<=T<=1000$
$1<=N<=10^{\wedge} 18$

