## Maximum Edge of Powers of Permutation

For a directed graph $G$ where any vertex $v$ has two weights $A_{v}$ and $B_{v}$, we call $A_{u}+B_{v}$ the weight of a edge $(u, v)$. Let $\operatorname{MaxEdge}(G)$ be the maximum weight of the edges of $G$.

Given a permutation $P$ on $1 . . n$, we can derive a directed graph $G=(V, E)$ where $V=\{1, . ., n\}$ and $(u, v)$ in $E$ iff $P(u)=v$. Your task is to compute $\operatorname{MaxEdge}\left(P^{k}\right)$ for every $k$ in $0 . . q-1$.

## Input

The first line contains a positive integer $n$.
The second line contains $n$ integers in $\{1, . ., n\}$, denoting the permutation $P$.
The third and the fourth line both contain $n$ natural numbers, $A_{1}, \ldots, A_{n}$ and $B_{1}, . ., B_{n}$ respectively. The fifth line contains a positive integer $q$.

## Output

The only one line contains $q$ integers $\operatorname{MaxEdge}\left(P^{0}\right), . ., \operatorname{MaxEdge}\left(P^{q-1}\right)$, separated by a single space.

## Example

Input:
3
321
012
220
5

Output:
34343

## Constraint

$n<=66000$
$A_{i}, B_{i}<=16$
$q<=10^{6}$

## Notice

The time limit is somehow strict. Please do not spoil the problem with a cheating solution.
Description updated on 2010-7-11

