# **Maximum Edge of Powers of Permutation**

For a directed graph *G* where any vertex *v* has two weights  $A_v$  and  $B_v$ , we call  $A_u+B_v$  the weight of a edge (u,v). Let MaxEdge(G) be the maximum weight of the edges of *G*.

Given a permutation *P* on 1..*n*, we can derive a directed graph G=(V,E) where  $V=\{1,..,n\}$  and (u,v) in *E* iff P(u)=v. Your task is to compute  $MaxEdge(P^k)$  for every *k* in 0..*q*-1.

### Input

The first line contains a positive integer *n*.

The second line contains *n* integers in  $\{1,..,n\}$ , denoting the permutation *P*. The third and the fourth line both contain *n* natural numbers,  $A_1,..,A_n$  and  $B_1,..,B_n$  respectively. The fifth line contains a positive integer *q*.

# Output

The only one line contains q integers  $MaxEdge(P^0),...,MaxEdge(P^{q-1})$ , separated by a single space.

## Example

Input:

#### Output:

34343

# Constraint

 $n \le 66000$  $A_i, B_i \le 16$  $q \le 10^6$ 

# Notice

The time limit is somehow strict. Please do not spoil the problem with a cheating solution.

Description updated on 2010-7-11