## Monodigital Representations

Let $K$ be a decimal digit different from 0 . We say that an arithmetic expression is a $\mathbf{K}$ representation of the integer $\mathbf{X}$ if a value of this expression is $X$ and if it contains only numbers composed of a digit K. (All the numbers are of course decimal). The following arithmetical operations are allowed in the expression: addition, subtraction, multiplication and division. Round brackets are allowed too. Division may appear only when a dividend is a multiple of a divisor.

## Example

Each of the following expressions is the 5-representation of the number 12:

- $5+5+(5: 5)+(5: 5)$
- $(5+(5))+5: 5+5: 5$
- 55:5+5:5
- $(55+5): 5$

The length of the $K$-representation is the number of occurrences of digit $K$ in the expression. In the example above the first two representations have the length 6, the third -5 , and the forth -4 .

## Task

Write a program which:

- reads the digit $K$ and the series of numbers from the standard input,
- verifies for each number from the series, whether it has a $K$-representation of length at most 8 , and if it does, then the program finds the minimal length of this representation,
- writes results to the standard output.


## Input

The number of test cases $t$ is in the first line of input, then $t$ test cases follow separated by an empty line. The first line of each test case contains digit $K, K$ is en element of $\{1, \ldots, 9\}$. The second line contains number $n, 1<=n<=10$. In the following $n$ lines there is the series of natural numbers $a_{1}, \ldots, a_{n}, 1<=a_{i}<=32000$ (for $i=1, . ., n$ ), one number in each line.

## Output

The output for each test case composes of $n$ lines. The $i$-th line should contain:

- exactly one number which is the minimal length of $K$-representation of $a_{i}$, assuming that such a representation of length not grater then 8 exists,
- one word NO, if the minimal length of the $K$-representation of the number $a_{i}$ is grater than 8 .


## Example

## Sample input:

## Sample output

4
NO

