

Modular Tetration

The ordinary arithmetical operations of addition, multiplication and exponentiation are naturally extended into a sequence of [hyperoperations](#) as follows.

$3 \times 7 = 3 + 3 + 3 + 3 + 3 + 3 + 3$; there are 7 copies of "3"

$3^7 = 3 \times 3 \times 3 \times 3 \times 3 \times 3 \times 3$; there are 7 copies of "3"

$3^{^7} = (3^{(3^{(3^{(3^{(3^{(3^3))}))}))}))$; there are 7 copies of "3"

To extend the sequence of operations beyond exponentiation, Knuth defined a "double arrow" operator to denote iterated exponentiation ([tetration](#)) $^{^^}$ in ASCII notation.

This gives us some very big numbers, your task will be to compute modular tetration.

$X^0=1$ for all X , as an empty product. $X^{^0}=1$ for all X , for similar reason.

Input

The first line of input contains an integer T , the number of test cases.

On each of the next T lines, you are given three integers X , N , and M .

Output

For each test case, you have to print $X^{^N} \text{ modulo } M$.

Example

Input:

```
3
3 2 20
3 3 345
993306745 75707320 1000000000
```

Output:

```
7
312
884765625
```

Constraints

$0 < T \leq 10^4$

X, N, M unsigned 32bit integers

$1 < M$

Explanations

$3^{^2} = 3^3 = 27 = 7 \pmod{20}$

$3^{^3} = 3^{(3^3)} = 3^{27} = 7625597484987 = 312 \pmod{345}$

Problem designed to be solvable using some 'slow' languages like Python, under half the time limit.

It is recommended to solve first [Power Tower City](#).

;-) Have fun.