

Musical Optimization

Bessie the cow used to write musical melody. A musical melody is represented as a sequence of N ($1 \leq N \leq 100,000$) notes numbered $1..N$. Note i is represented by the integer A_i ($-10,000 \leq A_i \leq 10,000$).

To Bessie's cow-like mind, a musical melody is called 'perfect' if and only if the sum of all the notes in any of its consecutive subsequences is strictly positive.

For a given musical melody, Bessie wants to make it perfect, but she wants to change the melody as little as possible.

Thus, to perfect the melody, she repeatedly chooses a consecutive subsequence of the melody, $[x, y]$ ($1 < x \leq y < N$), whose sum S is negative. Then she adds S to both A_{x-1} and A_{y+1} , while subtracting S from both A_x and A_y . (It is possible to subtract from the same note twice if $x = y$.)

Given a musical melody, compute the minimum number of steps to make the melody perfect.

Input

* Line 1: The single integer N .

* Lines $2..N+1$: Line $i+1$ contains the single integer A_i .

Output

* Line 1: A single integer that represents the minimum number of steps needed to make the given musical melody perfect. If there are no solutions, output -1 instead.

Example

Input:

```
5
13
-3
-4
-5
62
```

Output:

```
2
```

Explanation

There is a musical melody with length of 5. The notes are (13, -3, -4, -5, 62).

First, we choose the range $[2, 4]$; its sum is $(-3) + (-4) + (-5) = -12$. After the first step, the melody becomes (1, 9, -4, 7, 50). Second, we choose the range $[3, 3]$, whose sum is -4, and the melody after the second step becomes (1, 5, 4, 3, 50). The melody is perfect now.

Warning: large input/output data, be careful with certain languages