## Optimal Marks

You are given an undirected graph $G(V, E)$. Each vertex has a mark which is an integer from the range $\left[0 . .2^{31}-1\right]$. Different vertexes may have the same mark.

For an edge $(u, v)$, we define $\operatorname{Cost}(u, v)=\operatorname{mark}[u]$ xor mark[v].
Now we know the marks of some certain nodes. You have to determine the marks of other nodes so that the total cost of edges is as small as possible.

## Input

The first line of the input data contains integer $\mathbf{T}(1 \leq \mathbf{T} \leq 10)$ - the number of testcases. Then the descriptions of $T$ testcases follow.

First line of each testcase contains 2 integers $\mathbf{N}$ and $\mathbf{M}(0<\mathbf{N}<=500,0<=\mathbf{M}<=3000)$. $\mathbf{N}$ is the number of vertexes and $\mathbf{M}$ is the number of edges. Then $\mathbf{M}$ lines describing edges follow, each of them contains two integers $u$, $v$ representing an edge connecting $u$ and $v$.

Then an integer $\mathbf{K}$, representing the number of nodes whose mark is known. The next $\mathbf{K}$ lines contain 2 integers $u$ and $p$ each, meaning that node $u$ has a mark $p$. It's guaranteed that nodes won't duplicate in this part.

## Output

For each testcase you should print $\mathbf{N}$ lines integer the output. The Kth line contains an integer number representing the mark of node $\mathbf{K}$. If there are several solutions, you have to output the one which minimize the sum of marks. If there are several solutions, just output any of them.

## Example

## Input:

1
32
12
23
2
15
3100

## Output:

5
4
100

