

# Optimal Connected Subset

It is well-known that we can uniquely represent any point  $P$  on the Cartesian coordinate system using an ordered pair  $(x, y)$ . If both  $x$  and  $y$  are integers, then we shall call  $P$  an integer point, otherwise we shall call  $P$  a non-integer point. We shall denote all integer points on the plane using the set  $W$ .

Definition 1: For two points  $P_1(x_1, y_1), P_2(x_2, y_2)$ , if  $|x_1 - x_2| + |y_1 - y_2| = 1$ , then  $P_1$  and  $P_2$  shall be considered **neighbors**, which is denoted as  $P_1 \sim P_2$ . Otherwise,  $P_1$  and  $P_2$  are considered non-neighboring.

Definition 2: The set  $S$  is a finite subset of  $W$  such that  $S = \{P_1, P_2, \dots, P_n\}$  ( $n \geq 1$ ), where  $P_i$  ( $1 \leq i \leq n$ ) belongs in  $W$ . We shall call  $S$  a **set of integer points**.

Definition 3: Where  $S$  is a set of integer points, if the points  $R$  and  $T$  belong to  $S$ , and there exists a finite sequence  $Q_1, Q_2, \dots, Q_k$  satisfying the following:

1.  $Q_i$  belongs to  $S$  ( $1 \leq i \leq k$ );
2.  $Q_1 = R, Q_k = T$ ;
3.  $Q_i \sim Q_{i+1}$  ( $1 \leq i \leq k-1$ ) — i.e.  $Q_i$  and  $Q_{i+1}$  are neighbours; and
4.  $Q_i \neq Q_j$  for any  $1 \leq i < j \leq k$

then we shall say that  $R$  and  $T$  are **connected** within set  $S$ , where the sequence  $Q_1, Q_2, \dots, Q_k$  shall be called a **pathway** connecting points  $R$  and  $T$ .

Definition 4: For a set of integer points  $V$ , if for any two of  $V$ 's integer points there exists exactly one pathway connecting them, then  $V$  shall be known as a **singular set of integer points**.

Definition 5: For any integer point on the plane, we can assign it an integer score. Thus, we shall call the sum of the scores of all the points in a set of integer points its **total score**.

Given a singular set of integer points  $V$ , we would like to find the optimally connected subset  $B$ , where:

1.  $B$  is a subset of  $V$ ;
2. any two integer points in  $B$  is connected within  $B$ ; and
3. out of the set of integer points satisfying 1. and 2.,  $B$  is the set where the total score is highest.

## Input

The very first line of the input contains a single integer  $T$ , the number of test cases.  $T$  blocks follow.

For each test case, the first line contains a single integer  $N=|V|$  ( $N \leq 1000$ ). Within the following  $N$  lines, the  $i$ -th line ( $1 \leq i \leq N$ ) contains three space-separated integers  $X_i, Y_i$ , and  $C_i$  ( $-10^6 \leq X_i, Y_i \leq 10^6; -100 \leq C_i \leq 100$ ), representing the coordinates of the  $i$ -th point along with its score.

## Output

$T$  lines, each line should consist of one integer, the total score of the optimally connected subset.

## Example

**Input:**

```
1
5
0 0 -2
0 1 1
1 0 1
0 -1 1
-1 0 1
```

**Output:**

```
2
```