## Choosing a Palindromic Sequence

Given two sequences of words: $X=\left(x_{1}, \ldots, x_{n}\right)$ and $Y=\left(y_{1}, \ldots, y_{n}\right)$, determine how many binary sequences $P=\left(p_{1}, \ldots, p_{n}\right)$ exist, such that the word concatenation $z_{1} z_{2} \ldots z_{n}$, where $z_{i}=x_{i}$ iff $p_{i}=1$ and $z_{i}=y_{i}$ iff $p_{i}=0$, is a palindrome (a word which is the same when read from left to right and from right to left).

## Input

The input begins with the integer $t$, the number of test cases. Then $t$ test cases follow.
For each test case the first line contains the positive integer $n$ - the number of words in a sequence ( $1<=\mathrm{n}<=30$ ). The following $n$ lines contain consecutive words of the sequence $X$, one word per line. The next $n$ lines contain consecutive words of the sequence $Y$, one word per line. Words consist of lower case letters of the alphabet ('a' to 'z'), are non-empty, and not longer than 400 characters.

## Output

For each test case output one line containing a single integer - the number of different possible sequences $P$.

## Example

## Sample input:

1

5
ab
a
a
ab
a
a
baaaa
a
a
ba

## Sample output:

12

