## Phone Lines

There are several cities and towers on a straight line. Towers can be set to connection-accepting by paying a cost. We are given the location (on the X-axis), of the towers and the cities. Our job is to set up certain towers as connection-accepting. Now every city, pays you an amount equal to $\mathbf{D}$ - distance_travelled_by_data, for every unit of data (for every tower) it can send.
(distance_travelled_by_data = cityX - towerX); Our job here is to setup connections on differrent towers to get maximal profit.
Each city when it wants to route some data to a tower works with the following algorithm:
(1) Find the nearest tower to the left of the city.
(2) If it is within the range ' $D$ ', it sends the data to that tower. If this tower exceeds the range $D$, or if the tower doesnt accept connections, the city cant send the data and stops immediately.
(Doesnt check the next available tower);
(3) If the data is sent sucessfully: Then the city
(3.1) Skips three towers. (Doesnt care if these three towers are connection-accepting or not);
(3.2) Tries to send data to the next tower (the fouth one after the skipping), by using step (2);

Input format:
Input consists of multiple testcases.
First line of each test case, contains two integers: D C T; The range, the number of cities and the number of towers, respectively.
Second line contains exactly $C$ integers saying the location of the cities (on the X -axis).
The next T lines contain exactly two integers: location[i] connection-cost[i]; which is the position of tower $i$, and the cost to setup tower $i$ as connection-accepting;
The input ends with a line: "-1-1-1"
Output format:
For each test case, output a single line saying the maximum amount of profit you can make.
Constraints:
Now two points (towers or cities), will have the same X-coordinate. T,C $<=100$.
Sample Input:
496
23
43
18
15
29
50
41
31
40
322
260
467

Sample Output:

