

Fibo and non fibo

The problem is simple.

Find $(a^b) \% \text{MOD}$

where ,

$a = \text{Nth non-fibonacci number}$

$b = (\text{Nth fibonacci number}) \% \text{MOD}$

$\text{MOD} = 10^9+7$

Consider fibonacci series as 1,1,2,3,....

Note : It is guaranteed that Nth non-fibonacci number will always be less than MOD value for every value of N used.

Input

First line contains **T** , the number of test cases.

Each next T lines contains a number **N**.

Output

Print T lines of output where each line corresponds to the required answer.

Announcement: Constraints are updated. Sorry for inconvenience occurred.

Example

Input:

3
3
2
1

Output:

49
6
4

Explanation

For N=3 : 3rd non fibo number =7, 3rd fibo number=2. ans= $(7^2) \% \text{MOD} = 49$

For N=2 : 2nd non fibo number =6, 2nd fibo number=1. ans= $(6^1) \% \text{MOD} = 6$

For N=1 : 1st non fibo number =4, 1st fibo number=1. ans= $(4^1) \% \text{MOD} = 4$

Constraints

$1 \leq T \leq 100000$

$1 \leq N \leq 9 \cdot 10^8$

Note: Test cases have been updated and constraints are changed. Those who get TLE or WA are suggested to resubmit. GOOD LUCK there.