## Rectangles in a Matrix

In a matrix with $n$ rows and $m$ columns, $(i, j)$ is the cell in $i$-th row and $j$-th column $(0<=\mathrm{i}<\mathrm{n}, 0<=\mathrm{j}<\mathrm{m})$. A rectangle ( $\mathrm{rO}, \mathrm{r} 1, \mathrm{c} 0, \mathrm{c} 1$ ) in a matrix is the set of cells ( $\mathrm{i}, \mathrm{j}$ ) where $\mathrm{r} 0<=\mathrm{i}<\mathrm{r} 1$ and $\mathrm{c} 0<=\mathrm{j}<\mathrm{c} 1$. ( $0<=\mathrm{r} 0<\mathrm{r} 1<=\mathrm{n}, 0<=\mathrm{c} 0<\mathrm{c} 1<=\mathrm{m}$ ). Two rectangles are called independent if the intersection of their cell set is empty.
Given $n, m, k$, find the number of ways to choose $k$ independent rectangles from a nxm matrix. The order of these k rectangles doesn't matter, see sample for further clarification.

## Input

One line contains three integers $n, m, k(1<=n, m<=1000,1<=k<=6)$.

## Output

For each test case, output the number of ways, modulo $10^{\wedge} 9+7$.

## Example

Input:
224
10101
Output:
1
3025
Explanation
First case: You have to find the number of ways of choosing 4 independent rectangles from a $2 \times 2$ matrix. The only way to do this is to choose each cell as a separate rectangle.

## Constraints

( $1<=n, m<=1000,1<=k<=6$ ).
Total number of test cases is around 150. Not all the test cases are included.

