## Horizontally Visible Segments

There is a number of disjoint vertical line segments in the plane. We say that two segments are horizontally visible if they can be connected by a horizontal line segment that does not have any common points with other vertical segments. Three different vertical segments are said to form a triangle of segments if each two of them are horizontally visible. How many triangles can be found in a given set of vertical segments?

## Task

Write a program that:

- reads the description of a set of vertical segments,
- computes the number of triangles in this set,
- writes the result.


## Input

The first line of the input contains exactly one positive integer $d$ equal to the number of data sets, $1<=\mathrm{d}<=20$. The data sets follow.

The first line of each data set contains exactly one integer $\mathrm{n}, 1<=\mathrm{n}<=8000$, equal to the number of vertical line segments.

Each of the following $n$ lines consists of exactly 3 nonnegative integers separated by single spaces: $y_{i}^{\prime}, y_{i}{ }_{i}, x_{i}$ (that is the $y$-coordinate of the beginning of a segment, $y$-coordinate of its end and its $x$-coordinate, respectively). The coordinates satisfy: $0<=y_{i}^{\prime}<y_{i}<=8000,0<=x_{i}<=$ 8000. The segments are disjoint.

## Output

The output should consist of exactly d lines, one line for each data set. Line i should contain exactly one integer equal to the number of triangles in the i-th data set.

## Example

## Sample input:

1
5
044
031
342
022
023

## Sample output:

1

