

# Sequence Partitioning II

Given a sequence of  $N$  ordered pairs of positive integers  $(A_i, B_i)$ , you have to partition it into several contiguous parts. Let  $p$  be the number of these parts, whose boundaries are  $(l_1, r_1), (l_2, r_2), \dots, (l_p, r_p)$ , which satisfy  $l_i = r_{i-1} + 1, l_i \leq r_i, l_1 = 1, r_p = n$ . The parts themselves also satisfy the following restrictions:

1. For any two pairs  $(A_p, B_p), (A_q, B_q)$ , where  $(A_p, B_p)$  belongs to the  $T_p$ th part and  $(A_q, B_q)$  the  $T_q$ th part. If  $T_p < T_q$ , then  $B_p > A_q$ .
2. Let  $M_i$  be the maximum  $A$ -component of elements in the  $i$ th part, say

$$M_i = \max \{A_{l_i}, A_{l_{i+1}}, \dots, A_{r_i}\}, 1 \leq i \leq p$$

it is provided that

$$\sum_{i=1}^p M_i \leq \text{Limit}$$

where Limit is a given integer.

Let  $S_i$  be the sum of  $B$ -components of elements in the  $i$ th part.

Now I want to minimize the value

$$\max\{S_i; 1 \leq i \leq p\}$$

Could you tell me the minimum?

## Input

The input contains exactly one test case. The first line of input contains two positive integers  $N$  ( $N \leq 50000$ ), Limit (Limit  $\leq 2^{31}-1$ ). Then follow  $N$  lines each contains a positive integers pair  $(A, B)$ . It's always guaranteed that

$$\max\{A_1, A_2, \dots, A_n\} \leq \text{Limit}$$

$$\sum_{i=1}^n B_i \leq 2^{31} - 1$$

## Output

Output the minimum target value.

## Example

**Input:**

4 6

4 3

3 5

2 5  
2 4

**Output:**  
9

## Explanation

An available assignment is the first two pairs are assigned into the first part and the last two pairs are assigned into the second part. Then  $B_1 > A_3$ ,  $B_1 > A_4$ ,  $B_2 > A_3$ ,  $B_2 > A_4$ ,  $\max\{A_1, A_2\} + \max\{A_3, A_4\} \leq 6$ , and minimum  $\max\{B_1+B_2, B_3+B_4\}=9$ .