## Summing Sums

The $\mathrm{N}(1 \leq \mathrm{N} \leq 50,000$ ) cows, conveniently numbered $1,2, \ldots, \mathrm{~N}$, are trying to learn some encryption algorithms. After studying a few examples, they have decided to make one of their own! However, they are not very experienced at this, so their algorithm is very simple:

Each cow $i$ is given a starting number $C_{i}\left(0 \leq C_{i}<90,000,000\right)$, and then all the cows perform the following process in parallel:

- First, each cow finds the sum of the numbers of the other N-1 cows.
- After all cows are finished, each cow replaces her number with the sum she computed. To avoid very large numbers, the cows will keep track of their numbers modulo 98,765,431.

They told Canmuu the moose about it in November; he was quite impressed. Then one foggy Christmas Eve, Canmuu came to say:
"Your algorithm is too easy to break! You should repeat it $T(1 \leq T \leq 1,414,213,562)$ times instead."

Obviously, the cows were very frustrated with having to perform so many repetitions of the same boring algorithm, so after many hours of arguing, Canmuu and the cows reached a compromise: You are to calculate the numbers after the encryption is performed!

## Input

- Line 1: Two space-separated integers: N and T .
- Lines 2..N+1: Line $\mathrm{i}+1$ contains a single integer: $\mathrm{C}_{\mathrm{i}}$.


## Output

- Lines 1..N: Line i contains a single integer representing the number of cow i (modulo $98,765,431$ ) at the end of the encryption.


## Example

## Input:

34
1
0
4

## Output:

26
25
29
The following is a table of the cows' numbers for each turn:

| Turn | Cow1 | Cow2 | Cow3 |
| :---: | :---: | :---: | :---: |
| 0 | 1 | 0 | 4 |
| 1 | 4 | 5 | 1 |

$2 \quad 6 \quad 5 \quad 9$
$\begin{array}{llll}3 & 14 & 15 & 11\end{array}$
$\begin{array}{llll}4 & 26 & 25 & 29\end{array}$
Warning: large input/output data.

