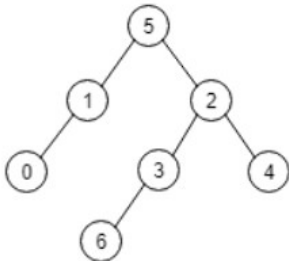


# Triangle on Binary Tree

You are given a parent array  $P$  of length  $N$  that represents a binary tree with  $N$  nodes, which may be unbalanced, balanced, complete or full. The array indexes are values in tree nodes and the array values represent the parent node of that particular index, a value  $-1$  means that particular index is the root of the tree. This gives both left child and right child or only left child, for a parent, right child cannot exist without left child. You are required to count the total number of potential isosceles triangles in the binary tree. A potential isosceles triangle is the two sides of equal length must be formed by two paths of equal length from a parent or root. Due to the nature of binary tree, not three sides are connected, you can just ignore the remaining unconnected side.

Consider a parent array  $[1, 5, 5, 2, 2, -1, 3]$ , it constructs a binary tree like:



There are 4 potential isosceles triangles in total, they are  $(1, 5, 2)$ ,  $(0, 5, 4)$ ,  $(3, 2, 4)$  and  $(3, 2, 5)$  respectively.

## Input

The first line is the number of test cases  $T$ . ( $1 \leq T \leq 50$ )

For each test case, it starts with one integer representing the number of nodes or length of the array  $N$ . ( $1 \leq N \leq 10^5$ )

The next line has  $N$  integers,  $P_i$  is the node's parent node ( $-1$  is the root) and  $i$  is its value. ( $-1 \leq P_i \leq N - 1$ )

## Output

Print the total number of potential isosceles triangles.

## Example

**Input:**

3

7

1 5 5 2 2 -1 3

20

-1 0 0 1 1 3 5 4 7 4 8 8 9 10 10 9 15 15 16 16

5

3 0 1 -1 2

**Output:**

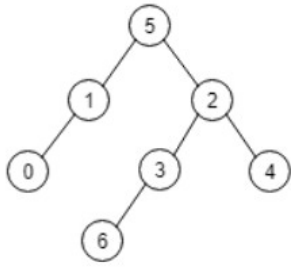
4

20

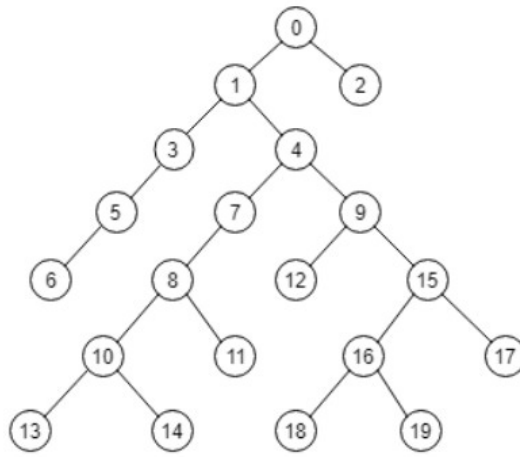
0

## Explanation

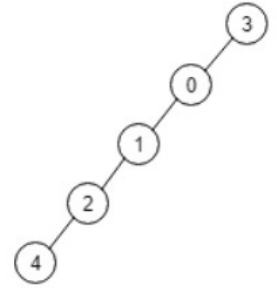
Let's visualize the sample input:



Test case #1



Test case #2



Test case #3

Case 1 is just the sample mentioned above.

Case 2 has 20 potential isosceles triangles: (1, 0, 2), (3, 1, 4), (5, 1, 9), (6, 1, 15), (7, 4, 9), (8, 4, 15), (10, 4, 17), (12, 9, 15), (10, 8, 11), (16, 15, 17), (13, 10, 14), (18, 16, 19), (4, 1, 0), (1, 4, 7), (4, 9, 12), (7, 8, 11), (9, 15, 16), (8, 10, 14), (15, 16, 19) and (4, 15, 18).

Case 3 has no triangles.