

# Drawing Polygrams

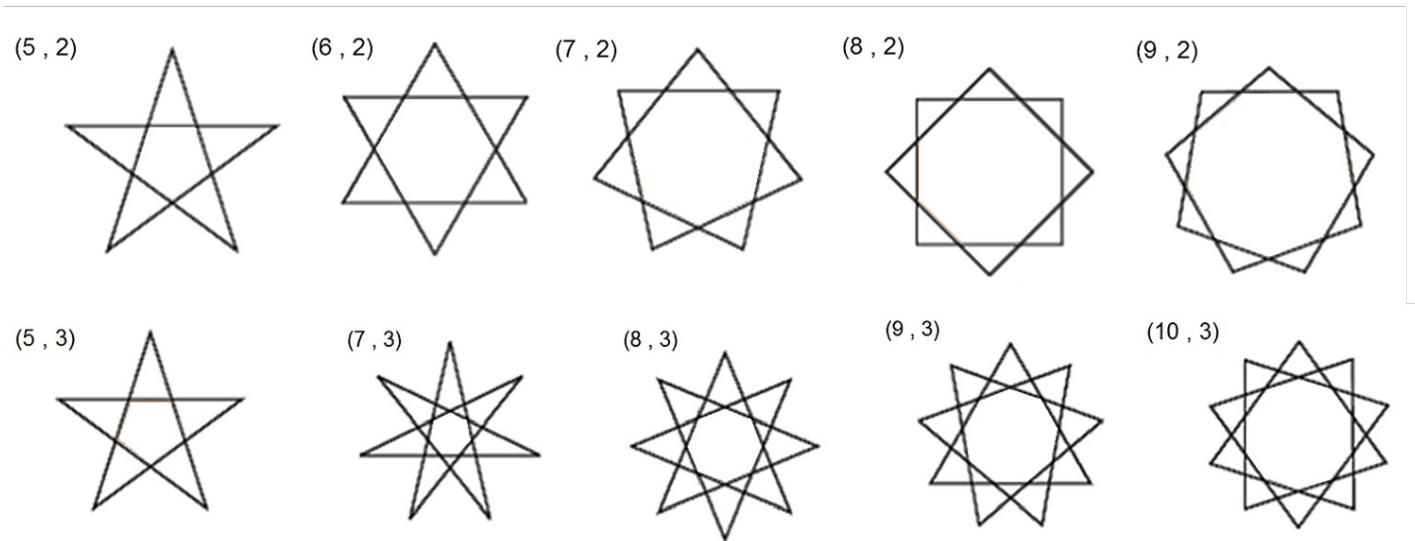
Drawing stars on the last page of a notebook is a very entertaining hobby. Did you know these cute "stars" are actually called polygrams?

Given a regular polygon with  $p$  vertices, we define a *polygram*  $p/q$ , as the resultant polygon obtained after connecting every  $i$ -th vertex with the  $(i+q)$ -th vertex.

You may know the polygram  $5/2$  as *pentagram*

Another example is the *hexagram*  $6/2$ . Given that 6 and 2 are not coprime, this polygram is composed by two  $3/1$  polygons

star polygons



Given a regular polygon with  $p$  vertices, its radius  $R$  (the distance from its center to any vertex) and a number  $q$ , can you calculate the area of the polygram  $p/q$ ?

It is guaranteed that the resultant polygon will not be degenerated, i.e  $q \neq p/2$  and  $q \neq p$

## Input

The first and only line of the input contains three integers  $p$ ,  $q$  and  $r$

## Output

Print in a single line the area of the resultant polygram  $p/q$  with radius  $r$ . Print the answer with exactly five decimal places

## Example

**Input:**

5 4 2

**Output:**

9.51057

**Input:**

10 4 5

**Output:**

40.61496

## Constraints

$$3 \leq p \leq 10^3$$

$$1 \leq q < p$$

$$1 \leq r \leq 100$$

$$q \neq p/2 \text{ and } q \neq p$$